

On nonlinear surface growth models

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E G Y E T E M

French-Hungarian Bilateral Science and Technology Cooperation

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- Title: Self-organization of nanostructures on surfaces
- Period: 2015-2016

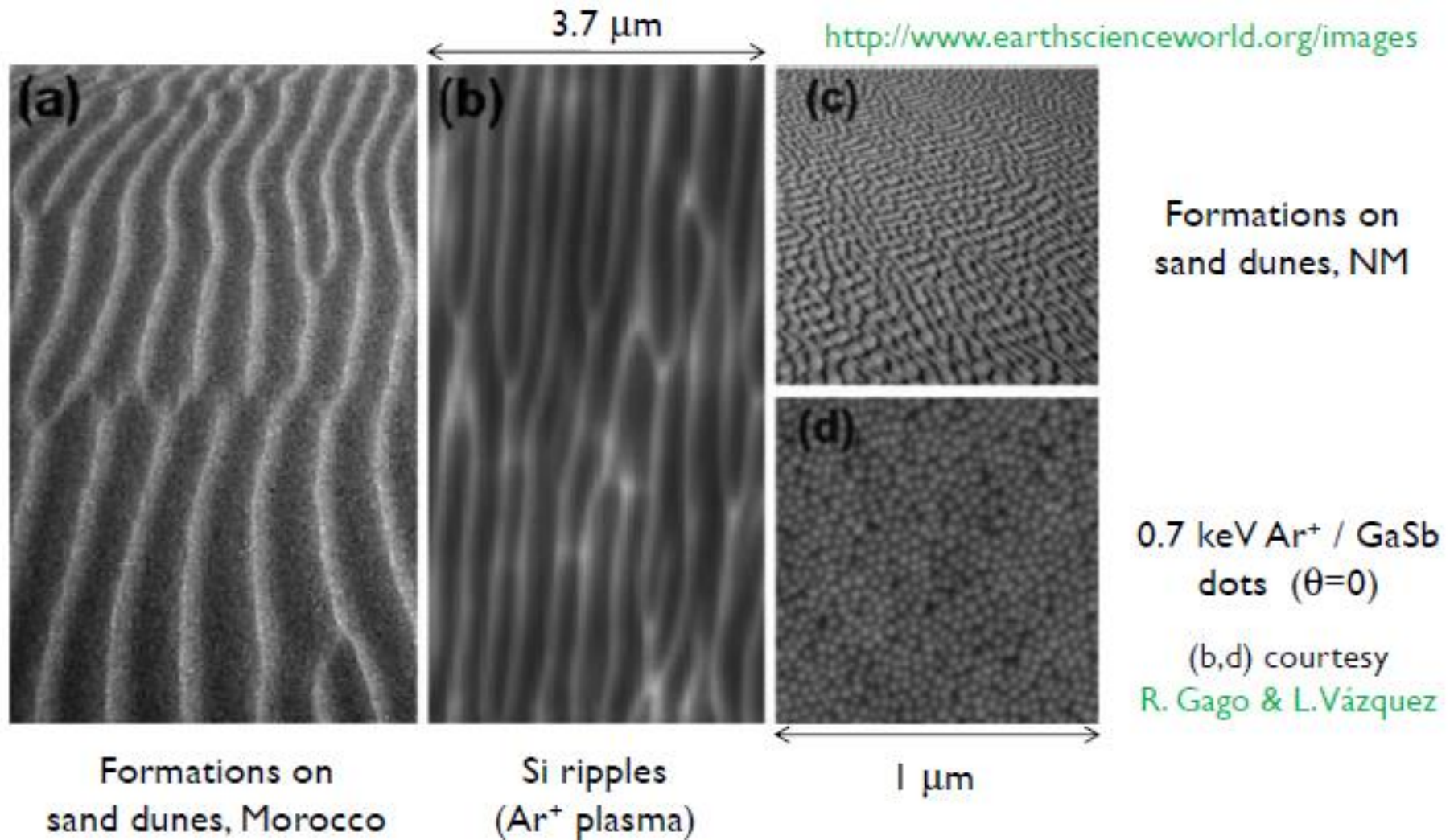
Participants

- **Hungarian (5): University of Miskolc, Institute of Machine and Product Design (1 prof., 1 postdoc, 1PhD st.), HAS Wigner Research Institute (1 res.), University of Pécs (1 prof.)**
- **French (7): Université de Picardie Jules Verne, Amiens; LPMC (Laboratoire de Physique de la Matière Condensée), LAMFA (Laboratoire Amiénois de Mathématique Fondamentale et Appliquée) (4 prof., 1 assoc. prof., 2 PhD st.)**

Content

- • **Surface patterns**
- • **Growth Models**
- • **Analytical results**
- • **Numerical solutions**
- • **Surface roughness test**

Surface patterns

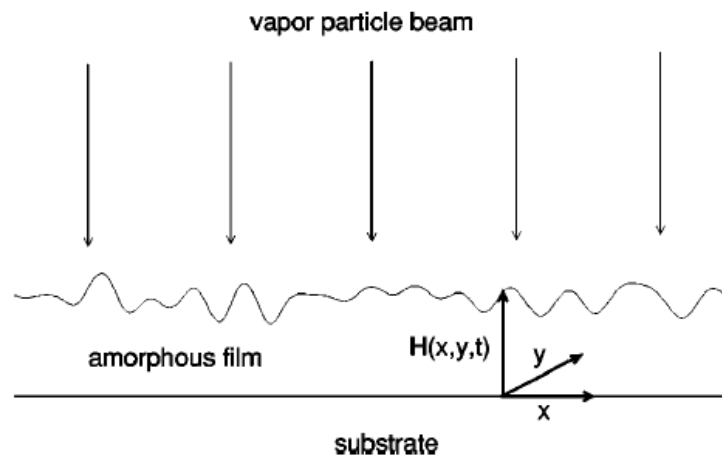


Growth of thin amorphous films

- Challenge: exploring the relationship between the structure and the properties of nanostructured materials
- Developing nanoscale structures in a conscious, designed way
- Model level tests (small size!)
- Application: creating various thin layers on a solid substrate
- Deposition techniques: IBS, MBE, CVD, PVD, ...

Model of amorphous thin film growth

Develop models to predict atomistic processes, to able to control and manipulate the film structures to achieve desired properties



height profile $h(x, y, t) = H(x, y, t) - Ft$

Time evolution of the surface morphology

$$h_t = G(\nabla h) + \eta$$

G : functional - experimental setup,
details of kinetics, deposition process

F : the mean deposition rate

η : deposition noise

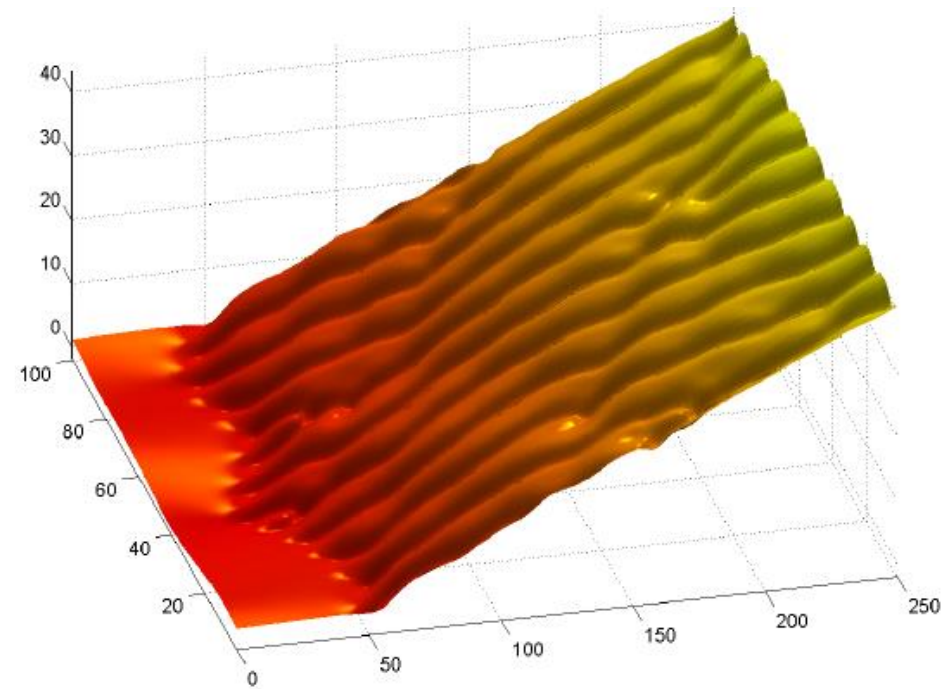
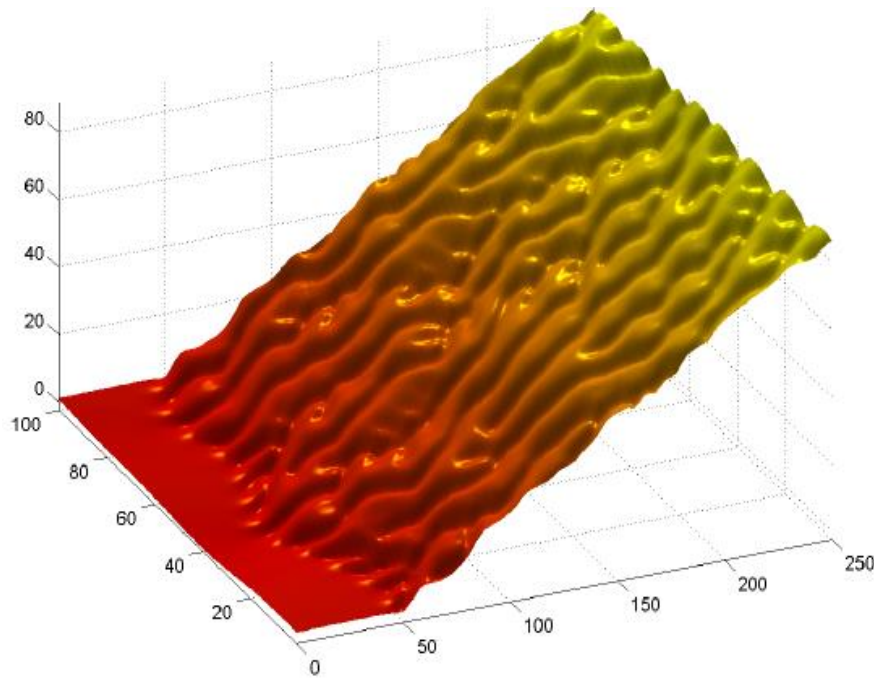
Outcomes:

Presentations at national conferences: 6
at international conferences: 5

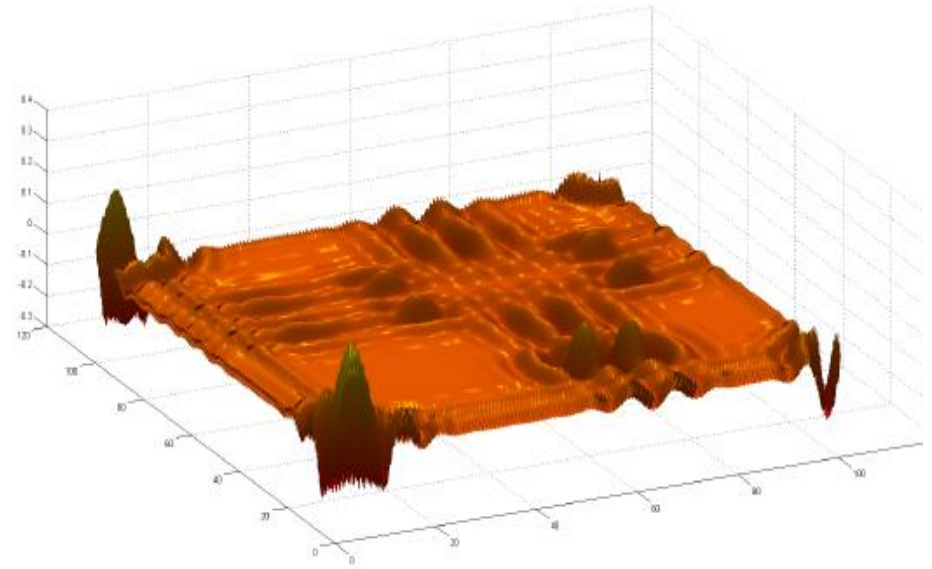
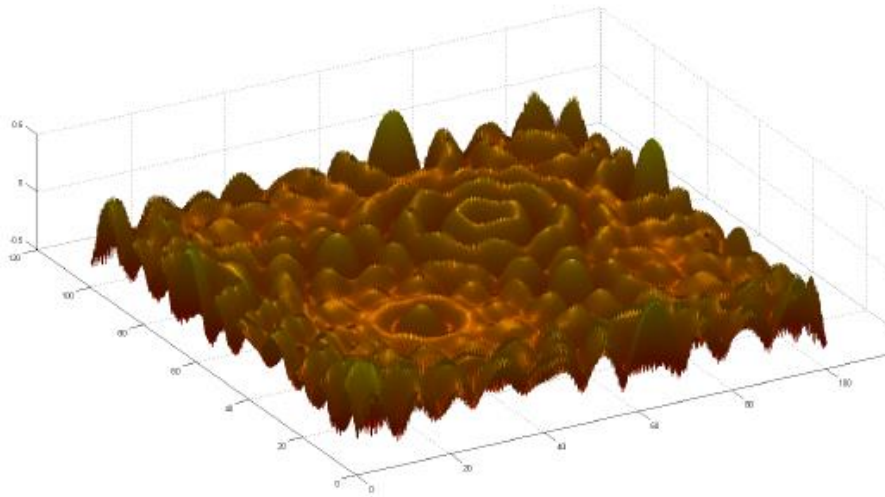
Publications: 7
conference papers: 4
scientific journal papers: 3 (2 with IF)

Numerical results

The one-dimensional and two-dimensional **Conserved Kuramoto-Sivashinsky** equation are solved with using Fourier spectral collocation in space and the fourth order Runge-Kutta exponential time differencing scheme for time discretization.



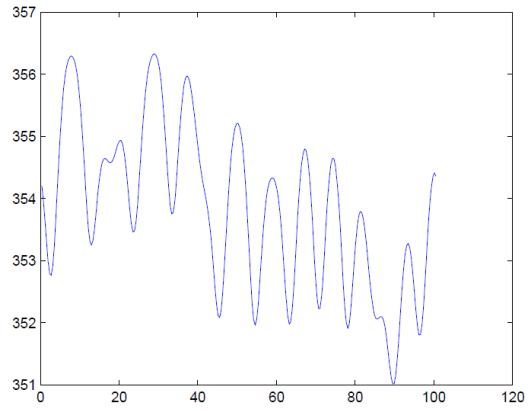
1+1 dimension



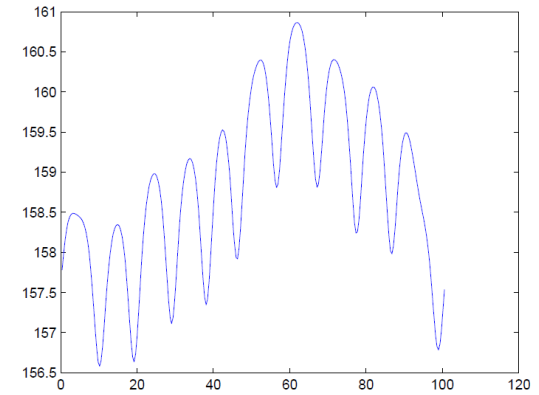
1+2 dimensions

Height profiles at T=1000 for

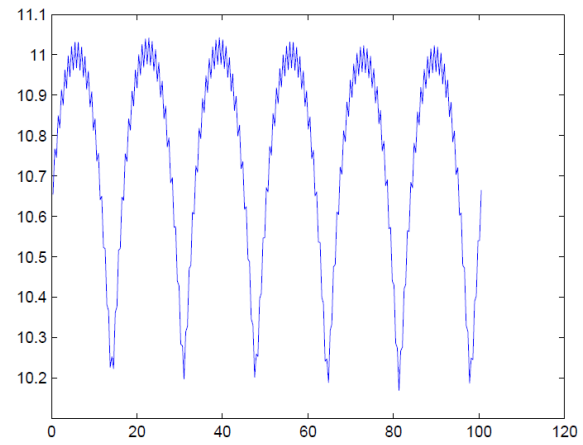
$r=0.01$



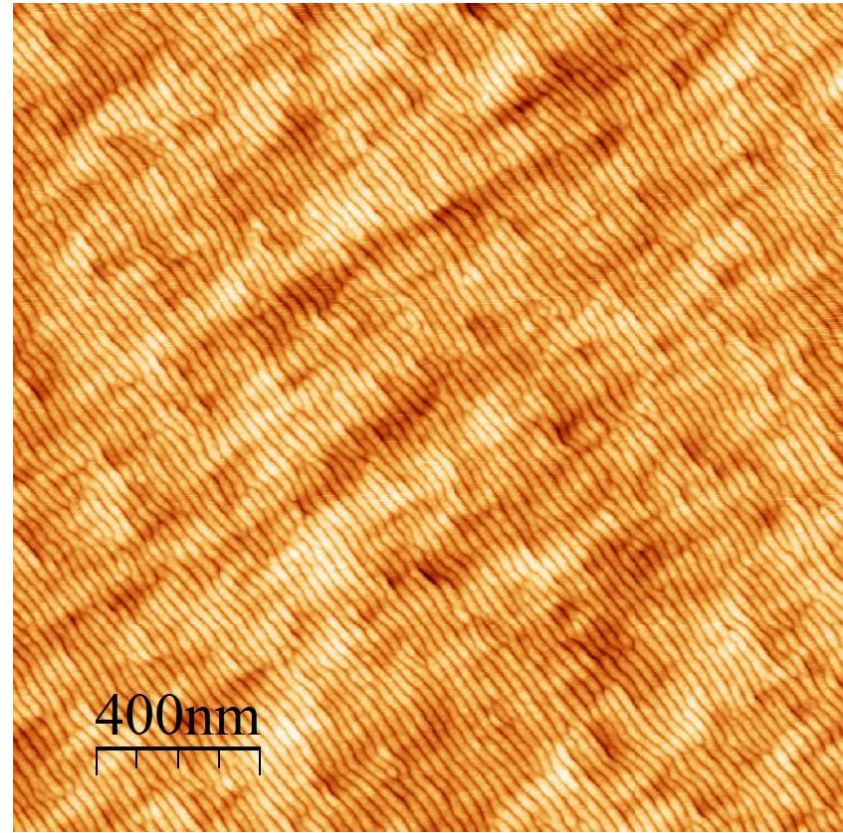
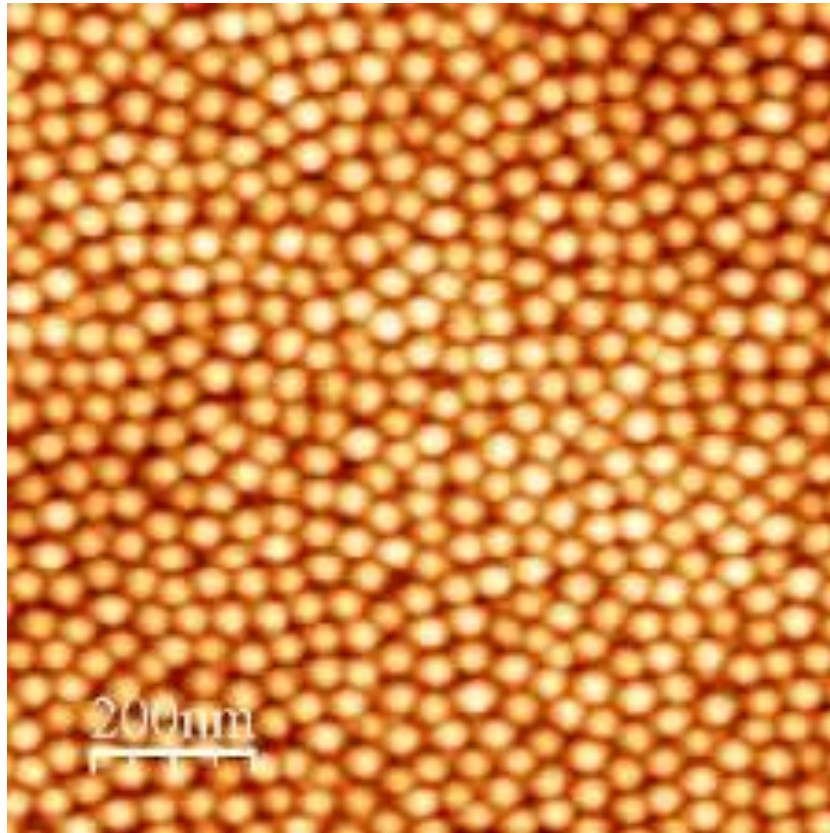
$r=0.5$



$r=10$



Experiments



How the physical parameters affect on the surface morphology?

The afterlife of the project

- 2 theses have been defended
- University of Miskolc: 1 PhD student (El Khalil Chiliah) started his PhD studies on roughening of self-organized surfaces
- Université de Picardie Jules Verne: 2 PhD students are working on deposition technique modelling
- Common research proposal has been submitted

Thank you for your kind attention!

Je vous remercie de votre aimable attention!